Sticrated 6-cubes

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In six-dimensional geometry, a **sticrated 6-cube** is a convex uniform 6-polytope, constructed as a sterication (4th order truncation) of the regular 6-cube.

There are 8 unique sterications for the 6-cube with permutations of truncations, cantellations, and runcinations.

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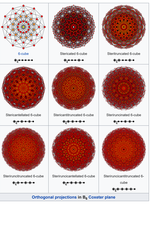

Sticrated 6-cube [edit source]

Alternate names [edit source]

- Small cellated hexeract (Acronym: scax) (Jonathan Bowers)[1]

Images [edit source]

orthographic projections

Coxeter plane	B_6	B_5	B_4
Graph			
Dihedral symmetry	[12]	[10]	[8]
Coxeter plane	B_3	B_2	
Graph			
Dihedral symmetry	[6]	[4]	
Coxeter plane	A_5	A_4	
Graph			
Dihedral symmetry	[6]	[5]	

sticrated 6-cube	
Type	uniform 6-polytope
Schläfli symbol	$t_{0,1,2,3}\{4,3,3,3,3\}$
Coxeter-Dynkin diagrams	
5-faces	2(2n+1,3,3,3,3)
4-faces	
Cells	
Faces	
Edges	5760
Vertices	960
Vertex figure	
Coxeter groups	B_6, [4,3,3,3,3]
Properties	convex

Stericantellated 6-cube [edit source]

Alternate names [edit source]

- Cellirhombated hexeract (Acronym: catax) (Jonathan Bowers)[2]

Images [edit source]

orthographic projections

Coxeter plane	B_6	B_5	B_4
Graph			
Dihedral symmetry	[12]	[10]	[8]
Coxeter plane	B_3	B_2	
Graph			
Dihedral symmetry	[6]	[4]	
Coxeter plane	A_5	A_4	
Graph			
Dihedral symmetry	[6]	[5]	

stericantellated 6-cube	
Type	uniform 6-polytope
Schläfli symbol	$t_{0,2}\{4,3,3,3,3\}$
Coxeter-Dynkin diagrams	
5-faces	2(2n+1,3,3,3,3)
4-faces	
Cells	
Faces	
Edges	19200
Vertices	3840
Vertex figure	
Coxeter groups	B_6, [4,3,3,3,3]
Properties	convex

Stericantitruncated 6-cube [edit source]

Alternate names [edit source]

- Celligreatorhomated hexeract (Acronym: cagax) (Jonathan Bowers)[3]

Images [edit source]

orthographic projections

Coxeter plane	B_6	B_5	B_4
Graph			
Dihedral symmetry	[12]	[10]	[8]
Coxeter plane	B_3	B_2	
Graph			
Dihedral symmetry	[6]	[4]	
Coxeter plane	A_5	A_4	
Graph			
Dihedral symmetry	[6]	[5]	

stericantitruncated 6-cube	
Type	uniform 6-polytope
Schläfli symbol	$t_{0,1,2}\{4,3,3,3,3\}$
Coxeter-Dynkin diagrams	
5-faces	2(2n+1,3,3,3,3)
4-faces	
Cells	
Faces	
Edges	46080
Vertices	11520
Vertex figure	
Coxeter groups	B_6, [4,3,3,3,3]
Properties	convex

Steriruncitruncated 6-cube [edit source]

Alternate names [edit source]

- Cellirhombitruncated hexeract (Acronym: catrix) (Jonathan Bowers)[4]

Images [edit source]

orthographic projections

Coxeter plane	B_6	B_5	B_4
Graph			
Dihedral symmetry	[12]	[10]	[8]
Coxeter plane	B_3	B_2	
Graph			
Dihedral symmetry	[6]	[4]	
Coxeter plane	A_5	A_4	
Graph			
Dihedral symmetry	[6]	[5]	

steriruncitruncated 6-cube	
Type	uniform 6-polytope
Schläfli symbol	$t_{0,1,3}\{4,3,3,3,3\}$
Coxeter-Dynkin diagrams	
5-faces	2(2n+1,3,3,3,3)
4-faces	
Cells	
Faces	
Edges	15360
Vertices	3840
Vertex figure	
Coxeter groups	B_6, [4,3,3,3,3]
Properties	convex

Steriruncicantellated 6-cube [edit source]

Alternate names [edit source]

- Celligreatorhomated hexeract (Acronym: cagrax) (Jonathan Bowers)[5]

Images [edit source]

orthographic projections

Coxeter plane	B_6	B_5	B_4
Graph			
Dihedral symmetry	[12]	[10]	[8]
Coxeter plane	B_3	B_2	
Graph			
Dihedral symmetry	[6]	[4]	
Coxeter plane	A_5	A_4	
Graph			
Dihedral symmetry	[6]	[5]	

steriruncicantellated 6-cube	
Type	uniform 6-polytope
Schläfli symbol	$t_{0,2,3}\{4,3,3,3,3\}$
Coxeter-Dynkin diagrams	
5-faces	2(2n+1,3,3,3,3)
4-faces	
Cells	
Faces	
Edges	46080
Vertices	11520
Vertex figure	
Coxeter groups	B_6, [4,3,3,3,3]
Properties	convex

Steriruncicantitruncated 6-cube [edit source]

Alternate names [edit source]

- Celligreatorhomated hexeract (Acronym: cagrix) (Jonathan Bowers)[6]

Images [edit source]

orthographic projections

Coxeter plane	B_6	B_5	B_4
Graph			
Dihedral symmetry	[12]	[10]	[8]
Coxeter plane	B_3	B_2	
Graph			
Dihedral symmetry	[6]	[4]	
Coxeter plane	A_5	A_4	
Graph			
Dihedral symmetry	[6]	[5]	

steriruncicantitruncated 6-cube	
Type	uniform 6-polytope
Schläfli symbol	$t_{0,1,2,3}\{4,3,3,3,3\}$
Coxeter-Dynkin diagrams	
5-faces	2(2n+1,3,3,3,3)
4-faces	
Cells	
Faces	
Edges	92160
Vertices	23040
Vertex figure	
Coxeter groups	B_6, [4,3,3,3,3]
Properties	convex

Related polytopes [edit source]

These polytopes are from a set of 63 uniform 6-polytopes generated from the B_6 Coxeter plane, including the regular 6-cube or 6-orthoplex.

63 polytopes [show]

Notes [edit source]

1. x3o4o3o3o3o - scax
2. x3o4o3o3o3o - catax
3. x3o4o3o3o3o - cagax
4. x3o4o3o3o3o - catrix
5. x3o4o3o3o3o - cagrax
6. x3o4o3o3o3o - cagrix
7. x3o4o3o3o3o - captix
8. x3o4o3o3o3o - gocax

References [edit source]

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  - (Paper 22) H.S.M. Coxeter, *Regular and Semi-Regular Polytopes I*, [Math. Zeit. 46 (1940) 380-407, MR 2,10]
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  - N.W. Johnson: *The Theory of Uniform Polytopes and Honeycombs*, Ph.D.
- Klitzing, Richard. "**3D uniform polytopes (polyhedra)**".

External links [edit source]

- Polytopes of Various Dimensions
- Multidimensional Glossary

v · t · e Fundamental convex regular and uniform polytopes in dimensions 2–10 [hide]						
Family	A_n	B_n	$I_2(p)$ / D_n	E_6 / E_7 / E_8 / F_4 / G_2	H_n	
Regular polygon	Triangle	Square	p-gon	Hexagon	Pentagon	
Uniform polyhedron	Tetrahedron	Octahedron • Cube	Demicube		Dodecahedron • Icosahedron	
Uniform polychoron	Pentachoron	16-cell • Tesseract	Demitesseract	24-cell	120-cell • 600-cell	
Uniform 5-polytope	5-simplex	5-orthoplex • 5-cube	5-demicube			
Uniform 6-polytope	6-simplex	6-orthoplex • 6-cube	6-demicube	1_{22} • 2_{21}		
Uniform 7-polytope	7-simplex	7-orthoplex • 7-cube	7-demicube	1_{32} • 2_{31} • 3_{21}		
Uniform 8-polytope	8-simplex	8-orthoplex • 8-cube	8-demicube	1_{42} • 2_{41} • 3_{31}		
Uniform 9-polytope	9-simplex	9-orthoplex • 9-cube	9-demicube			
Uniform 10-polytope	10-simplex	10-orthoplex • 10-cube	10-demicube			
Uniform n-polytope	n-simplex	n-orthoplex • n-cube	n-demicube	1_{k2} • 2_{k1} • k_{21}	n-pentagonal polytope	
Topics: Polytope families • Regular polytope • List of regular polytopes and compounds						

Categories: 6-polytopes

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